On Finite-direct-injective modules

A. J. Gupta

Department of Mathematical Sciences, IIT(BHU), Varanasi 221005, India

a joint work with

S. K. Maurya[1]

[1]*Department of Mathematical Sciences, IIT(BHU), Varanasi 221005, India*

Abstract

A module M is called a Finite-direct-injective module if every finitely generated submodule of M isomorphic to a direct summand of M is itself a direct summand of M. It is a generalization of direct-injective module. In this talk, we discuss some properties of finite –direct- injective modules and characterize some rings in terms of finite –direct-injective modules.

Keywords

C2-module, C3-module, finite-direct-injective module, regular right FGC-ring.

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